RBE/CS 549 Computer Vision

HW0 - Alohomora

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Abstract—The assignment consists of two parts: A)"Shake my Boundary" where we use a probability based edge detection by calculating Texture, Brightness and Color Map and gradients along with Sobel and Canny Baselines B) "Deep Dive on Deep Learning " where we compare multiple deep learning architectures to classify objects from CIFAR10 BSDS500 dataset.

Index Terms—Edge Detection, Sobel, Canny, CIFAR10, BSDS500, ResNet, DenseNet, ResNeXt

I. PHASE 1 : SHAKE MY BOUNDARY

Boundary detection is an interesting problem statement. Given an image, we find the boundary based on how one object transitions to another. Although boundary detection seems straightforward for human being, it is difficult to achieve boundary or edge detection from single image. Most of the existing techniques use just intensities variations in the image to obtain edges.

In this assignment, we use a probability based edge detection which consists of three different parameters:texture, brightness as well as color variations to detect boundaries along with three different filters: Oriented Derivative of Gaussian, Leung-Malik (LM), Gabor Filter-banks.

A. Oriented Derivative of Gaussian Filter Bank

We obtain the Oriented DOG Filter, Convolution of a Sobel filter over a Gaussian kernel, rotating the kernel with 2 different scales and 16 orientations.

Equation of a Gaussian operator : $g(x,y) = \frac{1}{2\pi\sigma^2}e^{-(x^2+y^2)/(2\sigma^2)}$

B. Leung-Malik (LM) Filter Bank

Leung-malik filter-banks are formed by multi-scale, multiorientation filter-bank consisting 48 different filters. There are three different types of Leung-malik filters. In first type of filters, first and second derivative filters occur at the first 3 scales with an elongation factor of 3, i.e. $sigma_x = sigma$ $sigma_y = 3 * sigma_x$. In second type of filter, Leung-malik small filters occurs at basic scales, sigma =1, $\sqrt{2}$, 2 , $2\sqrt{2}$. In third type of filter, Leung-malik large filters occurs at basic third type of filter, Leung-ma
scales, sigma = $\sqrt{2}$, 2, 2 $\sqrt{2}$, 4.

Leung-Malik filters are obtained by combining 4 different combinations of filters: 1) First Derivative of Gaussian Filter 2)

Fig. 1. PbLite Edge Detection

Fig. 2. Gaussian Filter and its derivative

Second Derivative of Gaussian Filter 3) Laplacian of Gaussian Filter 4) Gaussian Filter

C. Gabor Filter Bank

Gabor filters mostly occur in the human visual system. Gaussian kernel function modulated by a sinusoidal plane wave. It analyses whether there is any specific frequency change.

D. Texton Map, Brightness Map, Color Map

1) Texton Map: We find Texton Map by capturing the texture changes in the image and cluster the texture variations

Fig. 3. Derivative of Gaussian in 2 Dimensions

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Fig. 4. Oriented DOG Filter-bank

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Fig. 5. Leung-Malik Small Filter-bank

Fig. 6. Leung-Malik Large Filter-bank

Fig. 7. Leung-Malik Filter-bank

Fig. 8. Gabor Filter-bank

with an N-dimensional vector for clustering all the responses at all pixels in the image for K textons using Kmeans.

2) Brightness Map: We find Brightness Map by capturing the brightness change in the image and cluster the brightness values for gray-scale equivalent of a color image using Kmeans clustering by choosing a set of cluster bins.

3) Color Map: We find Color Map by capturing color changes or chrominance content in the image and cluster the color values (3 values per pixel (RGB color channels)) using Kmeans clustering by choosing a set of cluster bins.

E. Half Disc Masks

Half Disc Masks refer to pairs of binary images of Half-Discs using equation of circles constraining either x and y or both within a particular range and variation of angles.

Fig. 9. Image 1 (a) Texton Map (b)Brightness Map (c) Color Map

Fig. 10. Image 2 (a) Texton Map (b) Brightness Map (c) Color Map

Fig. 11. Image 3 (a) Texton Map (b) Brightness Map (c) Color Map

Fig. 12. Image 4 (a) Texton Map (b) Brightness Map (c) Color Map

Fig. 13. Image 5 (a) Texton Map (b) Brightness Map (c) Color Map

Fig. 14. Image 6 (a) Texton Map (b) Brightness Map (c) Color Map

Fig. 15. Image 7 (a) Texton Map (b) Brightness Map (c) Color Map

Fig. 16. Image 8 (a) Texton Map (b) Brightness Map (c) Color Map

Fig. 17. Image 9 (a) Texton Map (b) Brightness Map (c) Color Map

Fig. 18. Image 10 (a) Texton Map (b) Brightness Map (c) Color Map

Fig. 19. Image 1 (a) Texton Gradient (b) Brightness Gradient (c) Color Gradient

Fig. 20. Image 2 (a) Texton Gradient (b)Brightness Gradient (c) Color Gradient

Fig. 21. Image 3 (a) Texton Gradient (b) Brightness Gradient (c) Color Gradient

Fig. 22. Image 4 (a) Texton Gradient (b) Brightness Gradient (c) Color Gradient

Fig. 23. Image 5 (a) Texton Gradient (b) Brightness Gradient (c) Color Gradient

Fig. 24. Image 6 (a) Texton Gradient (b) Brightness Gradient (c) Color Gradient

Fig. 25. Image 7 (a) Texton Gradient (b) Brightness Gradient (c) Color Gradient

Fig. 26. Image 8 (a) Texton Gradient (b) Brightness Gradient (c) Color Gradient

Fig. 27. Image 9 (a) Texton Gradient (b) Brightness Gradient (c) Color Gradient

Fig. 28. Image 10 (a) Texton Gradient (b) Brightness Gradient (c) Color Gradient

Fig. 29. Image 1 (a) Canny (b) Sobel (c) Pblite

Fig. 30. Image 2 (a) Canny (b) Sobel (c) Pblite

Fig. 31. Image 3 (a) Canny (b) Sobel (c) Pblite

Fig. 32. Image 4 (a) Canny (b) Sobel (c) Pblite

Fig. 33. Image 5 (a) Canny (b) Sobel (c) Pblite

Fig. 34. Image 6 (a) Canny (b) Sobel (c) Pblite

Fig. 35. Image 7 (a) Canny (b) Sobel (c) Pblite

Fig. 36. Image 8 (a) Canny (b) Sobel (c) Pblite

Fig. 37. Image 9 (a) Canny (b) Sobel (c) Pblite

Fig. 38. Image 10 (a) Canny (b) Sobel (c) Pblite

F. Chi Square Distance

Chi-square distance is a statistical method to measure similarity between 2 feature matrices (h, g) and used in many applications like similar image retrieval, image texture, feature extractions. It has the property of distributional equivalence, meaning that it ensures that the distances between rows and columns are invariant. We use chi-sqaure distance to find the various gradient values by comparing each map with particular bins against half disk filter bank.

$$
\chi^{2}(g, h) = \frac{1}{2} \sum_{i=1}^{K} \frac{(g_i - h_i)^2}{g_i + h_i}
$$

G. K-means Clustering

K-means algorithm clusters data by trying to separate samples in group of equal variance by minimizing inertia or within cluster sum of squares.

Kmeans algorithm divides a set of N samples X into K disjoint clusters C, each described by mean u_i of samples in the cluster.

We first start with initialising the number of clusters and randomly initialise the centroid within the clusters and compute new centroids of each cluster by assigning each point to its closest centroid until the centroid positions remain constant and unaffected by further iterations.

H. Probability based detection

As a final step, we combine all the filter data to obtain texture brightness and color gradients by applying chi square distances. In order to obtain the final edge from these gradients, we use a weighted sum over Sobel and Canny baseline images for the images. The end result, is weighted sum of gradients over these baselines.

Although many approaches just use either Sobel or canny edge detectors to find edges in a image which is also Incorporated in many packages available open source online, it is

found that on using Sobel and Canny edge detectors, we find the edges of all the objects and variations present in the image. IN this assignment we use an rigorous approach to use various filter operations on the image and finally detect the edges of particular objects in the image as we can see the difference as shown in Fig. 37.

II. PHASE 2 : DEEP DIVE INTO DEEP LEARNING

We compare multiple neural network architectures by varying the number of parameters to analyse the training and testing accuracy and loss values for training with CIFAR-10 data-set which consists of 60000 32*32 color images in 10 classes with 6000 image per class. The training and testing data-set are split as having 50000 and 10000 images respectively. First, I started my implemented with Convolution neural network to train for minimum epochs. I have used ADAM optimizer and Cross Entropy function for computing loss and Learning rate of $1e^{-2}$ for all the network architecture. I have trained and tested the models using Cluster- turing.wpi.edu. For simple CNN architecture, I have not used any standardization or normalization and for all other variations: ResNet18, ResNet34, DenseNet, ResNeXt. I have used annotations and standardization from torchvision.transforms.

Normalisation and standardization:

- 1. CenterCrop (10)
- 2. Normalise $((0.485, 0.456, 0.406), (0.229, 0.224, 0.225))$
- 3. RandomRotation((30,70)

One of the key observations I made while using different combinations of annotations is that, it has direct impact on the output filter size of the network and I have used MaxPool2d() and AvgPool2d() functions to adjust the filter size input to the final classifier layer.

Sno	Model	No of Epochs	Train Accuracy	Test Accuracy
	CNN	477	77.78	58.82
2.	ResNet18	150	95.99	43.22
3.	ResNet ₃₄	150	91.24	45.56
4.	DenseNet	1200	70.06	45.15
	ResNeXt		45.41	10.88
		TABLE I		

DEEP LEARNING ARCHITECTURES AND ACCURACY

With respect to computational time, ResNext took longer time to train while basic and Resnet18 were faster to train. It was a great learning process to try different annotations and various layers for training the network. Further work would be on improving test accuracy even over shorter training.

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			[678 37 68 11 21 12 15			0 131 27] (0)	
			[36 755 19 18 5 15 9			0 39 104 (1)	
			[74 24 565 72 75 75 77			0 20 18] (2)	
			[32 22 108 508 68 150 57			0 26 29] (3)	
			[34 14 120 72 586 65 73			0 24 12] (4)	
			[19 14 73 145 53 645 17			0 17 17] (5)	
			[9 12 85 67 80 31 702			$0 \t 8 \t 6 \t (6)$	
						$[56$ 34 154 124 279 209 25 0 29 90] (7)	
						$\begin{bmatrix} 99 & 41 & 19 & 23 & 10 & 5 & 3 & 0 & 742 & 58 \end{bmatrix}$ (8)	
						[38 105 21 21 14 20 11 0 69 701] (9)	
			(0) (1) (2) (3) (4) (5) (6) (7) (8) (9)				
	Accuracy: 58.82 %						
			Test Accuracy = 58.82 %				

Fig. 39. Test Confusion Matrix for CNN Basic Layer

Fig. 42. Training Loss for DenseNet Layer

Fig. 40. Test Confusion Matrix HeatMap for CNN Basic Layer

Fig. 44. Test Confusion Matrix HeatMap for DenseNet Layer

Fig. 41. Training Accuracy for DenseNet Layer

Fig. 45. Training Accuracy for ResNet 18 Layer

Fig. 48. Test Confusion Matrix HeatMap for ResNet 18 Layer

Fig. 46. Training Loss for ResNet 18 Layer

[403 122 73 26 196 38] 44 26 53 19 (0) $[111 533]$ 32 30 35 15 28 128 72] 16 (1) $[73$ 23 351 107 101 109 102 65 36 33] (2) $[49$ 92 366 57 212 91 54 51 17] (3) 11 37 38 \overline{a} 14 127 104 360 103 94 101 22] (4) \overline{a} 29 15 83 186 54 445 44 82 43 19] (5) 35 13 \lceil 23 17 107 118 66 76 535 10] (6) 24 $\begin{bmatrix} 58 \end{bmatrix}$ 18 75 74 79 123 33 491 25] (7) $[117$ 82 44 49 25 44 29 28 514 68] (8) 52 137 324] (9) $[107 137]$ 59 64 33 56 31 (0) (1) (2) (3) (4) (5) (6) (7) (8) (9) Accuracy: 43.22 % Test Accuracy = 43.22 %

Fig. 47. Test Confusion Matrix for ResNet 18 Layer

Fig. 49. Training Accuracy for ResNet 34 Layer

Fig. 50. Training Loss for ResNet 34 Layer

								$[426 111 66 25 26 66 26 29 141 84] (0)$			
								$[117 552 27 9 6 42 19 16 84 128]$ (1)			
								$[74 \t37 \t335 \t73 \t70 \t167 \t98 \t63 \t35 \t48] (2)$			
								$[26 22 60 286 40 308 107 65 35 51] (3)$			
								$[32 \t18 \t115 \t74 \t322 \t148 \t97 \t123 \t28 \t43] (4)$			
								$[30 \ 30 \ 52 \ 101 \ 33 \ 558 \ 36 \ 75 \ 35 \ 50] (5)$			
								[7 15 94 82 50 105 581 27 17 22] (6)			
								$[41 \t24 \t49 \t43 \t42 \t164 \t23 \t536 \t23 \t55]$ (7)			
								$[131 120 32 22 19 60 25 27 433 131] (8)$			
								[70 121 39 23 22 81 28 25 64 527] (9)			
(0) (1) (2) (3) (4) (5) (6) (7) (8) (9)											
Accuracy: 45.56 %											
Test Accuracy = 45.56 %											

Fig. 51. Test Confusion Matrix for ResNet 34 Layer

Fig. 54. Training Loss for ResNeXt Layer

Fig. 52. Test Confusion Matrix HeatMap for ResNet 34 Layer

Fig. 53. Training Accuracy for ResNeXt Layer

0%					$0/10000$ $[00:00<7, ?it/s]$									
$[105$	0	892		0	Θ	0	0	0	3	01	(0)			
2	0	998		0	0	Θ	Θ	0	Θ	01	(1)			
16	0	983		0	0	0	0	0	1	01	(2)			
0			0 1000		Θ	Θ		Θ	Θ	0	0	Θ]	(3)	
2	0	998		Θ	0	Θ	0	Θ	0	01	(4)			
0		0 1000			0	Θ		Θ		0	Θ	0]	(5)	
0	0	999		0	1	0	0	0	0	01	(6)			
$\mathbf{1}$	0	999		0	Θ	0	0	0	0	01	(7)			
39	0	961		0	Θ	0	Θ	0	0	0	(8)			
$\overline{4}$	Θ	995		0	1	0	0	0	0	01	(9)			
(0)		(2)			(3) (4)	(5)	(6)	(7)	(8)	(9)				
Accuracy: 10.88 %														

Fig. 55. Test Confusion Matrix for ResNeXt Layer

Fig. 56. Test Confusion Matrix HeatMap for ResNeXt Layer

ResNet(

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- rsmet(
(conv_l): Sequential(
(0): Conv2d(3, 64, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(1): BatchNorm2d(64, eps=le-05, momentum=0.1, affine=True, track_running_stats=True)
(2): ReLU()
	-
- (3): Conv2d(64, 128, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(3): Conv2d(64, 128, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(4): BatchNorm2d(128, eps=le-05, momentum=0.1, affine=True, track_running_stat
- (5) : ReLU()
- (6): MaxPool2d(kernel_size=2, stride=2, padding=0, dilation=1, ceil_mode=False)

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-)
(res_l): Sequential(
(0): Conv2d(128, 128, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(1): BatchNorm2d(128, eps=le-05, momentum=0.1, affine=True, track_running_stats=True)
-
- (1): Batchwormzq(128, eps=1e-05, momentum=0.1, arrine=irue, track_running_stats=irue)
(2): ReLU()
(3): Conv2d(128, 128, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(4): BatchNorm2d(128, eps=1e-05, momentum=0.1, affi

,
(conv 2): Sequential(

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- (2) : ReLU()
- (z). neiu()
(3): MaxPool2d(kernel_size=2, stride=2, padding=0, dilation=1, ceil_mode=False)
-
- (4): Conv2d(256, 512, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(5): BatchNorm2d(512, eps=1e-05, momentum=0.1, affine=True, track_running_stats=True)
- (6) : ReLU()

(7): MaxPool2d(kernel size=2, stride=2, padding=0, dilation=1, ceil mode=False)

-
-
-)
(res_2): Sequential(
(0): Conv2d(512, 512, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(1): BatchNorm2d(512, eps=le-05, momentum=0.1, affine=True, track_running_stats=True)
(2): ReLU() $\frac{1}{2}$
- MeLU()
ReLU()
Conv2d(512, 512, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1)) (3) :
- (4): BatchNorm2d(512, eps=1e-05, momentum=0.1, affine=True, track running stats=True) (5) : ReLU()

(fc): Sequential(

(0): Linear(in_features=512, out_features=10, bias=True) $\overline{ }$

Fig. 58. ResNet18 Model Architecture

ResNet(

- sweet
(conv_l): Sequential(
(0): Conv2d(3, 64, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(1): BatchNorm2d(64, eps=le-05, momentum=0.1, affine=True, track_running_stats=True)
	- (2) : ReLU()
	- wc_ov
Conv2d(64, 64, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
BatchNorm2d(64, eps=le-05, momentum=0.1, affine=True, track_running_stats=True) $\binom{3}{4}$:
	- (5) : ReLU()
	-
- (>): Reuol)
(6): Conv2d(64, 128, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(7): BatchNorm2d(128, eps=le-05, momentum=0.1, affine=True, track_running_stats=True)
(8): RaLU()
(9): MaxPool2d(kernel_size=2, stride=2,
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(res_l): Sequential(
(0): Conv2d(128, 128, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(1): BatchNormZd(128, eps=le-05, momentum=0.1, affine=True, track_running_stats=True)
(2): ReLU()
	-
- (2): ReLU()
(3): Conv2d(128, 128, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(4): BatchNorm2d(128, eps=le-05, momentum=0.1, affine=True, track_running_stats=True)
- (5) : ReLU()
- (6)
(6) Nouv2d(128, 128, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
BatchNorm2d(128, eps=1e-05, momentum=0.1, affine=True, track_running_stats=True)
- (8) : ReLU()
- (9): Conv2d(128, 128, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(10): EatchNorm2d(128, eps=le-05, momentum=0.1, affine=True, track_running_stats=True)
(11): ReLU()
- $(cony 2)$: Sequential(
	-
- conv_z): Sequentia(i
(0): Conv2d(128, 256, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(1): BatchNorm2d(256, eps=1e-05, momentum=0.1, affine=True, track_running_stats=True) (2) : ReLU()
-
- (2). neuot)
(3): Conv2d(256, 256, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(4): BatchNorm2d(256, eps=le-05, momentum=0.1, affine=True, track_running_stats=True)
- (5) : ReLU()
-
- (5): ReLU()
(6): Conv2d(256, 256, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(7): BatchNorm2d(256, eps=1e-05, momentum=0.1, affine=True, track_running_stats=True)
(8): ReLU()
(9): Conv2d(256, 256, kernel_size=(3, 3
- $(10):$
 $(11):$
- BatchNorm2d(256, eps=le-05, momentum=0.1, affine=True, track_running_stats=True)
ReLU()
Conv2d(256, 256, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
Conv2d(256, 256, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1) (12) : (13) : (14) ReLU()
-
Conv2d(256, 512, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
BatchNorm2d(512, eps=1e−05, momentum=0.1, affine=True, track_running_stats=True) (15) :
- (16) : (17) : ReLU()

 $(res_2):$ Sequential(

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-
- res_2): Sequential(

(0): Conv2d(512, 512, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))

(1): BatchNorm2d(512, eps=1e-05, momentum=0.1, affine=True, track_running_stats=True)

(2): ReLU()

(3): Conv2d(512, 512, kerne
-
- (5) : ReLU()
- (6): Conv2d(512, 512, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(6): Conv2d(512, 512, kernel_size=(3, 3), stride=(1, 1), padding=(1, 1))
(7): BatchNorm2d(512, eps=le=05, momentum=0.1, affine=True, track_running_st (8) : ReLU()

(avgpool): AvgPool2d(kernel_size=5, stride=5, padding=0) (fc): Sequential(

(0): Linear(in features=512, out features=10, bias=True) $\overline{)}$

Fig. 59. ResNet34 Model Architecture

ResNeXt(:suex.c
(conv1): Conv2d(3, 64, kernel_size=(1, 1), stride=(1, 1))
(bn1): BatchNorm2d(64, eps=1e-05, momentum=0.1, affine=True, track_running stats=True) (bnl): BatchNorm2d(64, eps=1e-05, momentum=0.1, affine=True, track_running_stats=True)
(blockl): Sequential(
(0): res_block(
(layers): Sequential(
(0): Conv2d(64, 128, kernel_size=(1, 1), stride=(1, 1))
(1): BatchNorm2d(12)
(residual): Sequential(
(0): Conv2d(64, 256, kernel_size=(1, 1), stride=(1, 1))
(1): BatchNorm2d(256, eps=le-05, momentum=0.1, affine=True, track_running_stats=True) $\,$) $\,$ $\,$ (block2): Sequential(%blook2): Sequential(

(0): res_blook{

(1ayers): Sequential(

(0): Conv2d(256, 256, kernel_size=(1, 1), stride=(1, 1))

(1): BatchNorm2d(256, eps=1e-05, momentum=0.1, affine=True, track_running_stats=True)

(2): Conv2d(25 /
(residual): Sequential(
(0): Conv2d(256, 512, kernel_size=(1, 1), stride=(2, 2))
(1): BatchNorm2d(512, eps=1e-05, momentum=0.1, affine=True, track_running_stats=True) λ $\overline{)}$,
(block3): Sequential(%tok3): Sequential(

(0): res_buock(

(1ayers): Sequential(

(0): Conv2d(512, Si2, kernel_size=(1, 1), stride=(1, 1))

(1): BatchNorm2d(512, eps=le-05, momentum=0.1, affine=True, track_running_stats=True)

(2): Conv2d(512,)
(residual): Sequential(
(0): Conv2d(512, 1024, kernel_size=(1, 1), stride=(2, 2))
(1): BatchNorm2d(1024, eps=le-05, momentum=0.1, affine=True, track_running_stats=True) $\,$) λ)
(avgpool): AvgPool2d(kernel_size=8, stride=8, padding=0)
(fc): Sequential(
(0): Linear(in_features=1024, out_features=10, bias=True) λ

Fig. 60. ResNeXt Model Architecture